Bibliography

This descriptive bibliography contains a number of works allied in interest to the contents of this book. It is not (nor is it intended to be) full, authoritative, or exhaustive. It is merely an expression of personal tastes which may be helpful to the reader whose curiosity has been stimulated.

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